

## 2. QUADRATIC EQUATIONS

### IMPORTANT NOTES :

- (i) The general form of a quadratic equation is  $ax^2 + bx + c = 0$ ;  $a, b, c$  are constants and  $a \neq 0$ .
- (ii) Characteristics of a quadratic equation:
- Involves only ONE variable,
  - Has an equal sign “ = ” **and can be expressed in the form  $ax^2 + bx + c = 0$ ,**
  - The highest power of the variable is 2.

### 2.1 Recognising Quadratic Equations

#### EXAMPLES

No	Quadratic Equations (Q.E.)	NON Q.E.	WHY?
1.	$x^2 + 2x - 3 = 0$	$2x - 3 = 0$	No terms in $x^2$ ( $a = 0$ )
2.	$x^2 = \frac{1}{2}$	$x^2 + \frac{2}{x} = 0$	Term $\frac{2}{x}$
3.	$4x = 3x^2$	$x^3 - 2x^2 = 0$	Term $x^3$
4.	$3x(x - 1) = 2$	$x^2 - 3x^{-1} + 2 = 0$	Term $x^{-1}$
5.	$p - 4x + 5x^2 = 0$ , $p$ constant	$x^2 - 2xy + y^2 = 0$	Two variables

Exercise : State whether the following are quadratic Equations. Give your reason for Non Q.E.

No	Function	Q.F.	Non Q.F.	WHY?
0.	$3x - 2 = 10 - x$		√	No terms in $x^2$
1.	$x^2 = 10^2$			
2.	$12 - 3x^2 = 0$			
3.	$x^2 + x = 6$			
4.	$2x^2 + \frac{1}{2}x - 3 = 0$			
5.	$-\frac{6}{x} = x$			
6.	$0 = x(x - 2)$			
7.	$2x^2 + kx - 3 = 0$ , $k$ constant			
8.	$(m-1)x^2 + 5x = 2m$ , $m$ constant			
9.	$3 - (p+1)x^2 = 0$ , $p$ constant			
10.	$p(x) = x^2 + 2hx + k + 1$ , $h, k$ constants			
11.	$f(x) = x^2 - 4$			
12.	$(k-1)x^2 - 3kx + 10 = 0$ , $k$ constant			

## 2.2 The ROOTs of a quadratic Equation (Q.E.)

Note : “ROOT” refers to a specific value which satisfies the Q.E.

Example : Given Q.E.  $x^2 + 2x - 3 = 0$

By substitution, it is found that :

$$x = 1, 1^2 + 2(1) - 3 = 0$$

Hence 1 is a root of the quadratic equation  $x^2 + 2x - 3 = 0$ .

But if  $x = 2, 2^2 + 2(2) - 3 \neq 0,$

We say that 2 is *NOT* a root of the given quadratic Equation.

	EXAMPLE	EXERCISE
C1.	Determine if -2 is a root of the equation $3x^2 + 2x - 7 = 0$ .  $x = -2, 3(-2)^2 + 2(-2) - 7 = 12 - 4 - 7$ $\neq 0$ Hence -2 is NOT a root of the given equation.	L1. Determine if 3 is a root of the equation $2x^2 - x - 15 = 0$ .
L2.	L1. Determine if 3 is a root of the equation $x^2 - 2x + 3 = 0$ .	L3. Determine if $\frac{1}{2}$ is a root of the equation $4x^2 + 2x - 2 = 0$ .
C2.	If -2 is a root of the quadratic equation $x^2 - kx - 10 = 0$ , find k.  $x = -2, (-2)^2 - k(-2) - 10 = 0$ $-4 + 2k - 10 = 0$ $2k = 14$ $k = 7$	L4. If 3 is a root of the equation $x^2 - 2kx + 12 = 0$ , find k.
L5.	If -2 and p are roots of the quadratic equation $2x^2 + 3x + k = 0$ , find the value of k and p.	L6. If -1 are roots of the quadratic equation $px^2 - 4x + 3p - 8 = 0$ , find p.

Do you know that

If the **PRODUCT** of two numbers is zero, then either one or both the numbers must be **zero** ?

If  $x y = 0$  ,  
Then  $x = 0$  or  $y = 0$   
or  $x = y = 0$  (both are zeroes)

**Example** : If  $(x - 2)(x + 3) = 0$  ,  
Then  $x - 2 = 0$  or  $x + 3 = 0$  ;  
i.e.  $x = 2$  or  $x = -3$  .

**2** and **-3** are called the *roots* of the equation  $(x-2)(x+3) = 0$ .

## 2.3.1 To Solve Quadratic Equations : $ax^2 + bx + c = 0$

### I. By Factorisation

- This method can only be used if the quadratic expression can be factorised completely.

	EXAMPLE	EXERCISE
<b>C1.</b>	<b>Solve the quadratic equation <math>x^2 + 5x + 6 = 0</math>.</b> <i>Answer:</i> $x^2 + 5x + 6 = 0$ $(x + 2)(x + 3) = 0$ $x + 2 = 0$ or $x + 3 = 0$ $x = -2$ or $x = -3$	<b>L1. Solve <math>x^2 - 4x - 5 = 0</math>.</b> <i>Jawapan:</i>  <b>Ans : -1, 5</b>
<b>C2.</b>	<b>Solve the quadratic equation <math>2x(x - 1) = 6</math>.</b> <i>Ans:</i> $2x(x - 1) = 6$ $2x^2 - x - 6 = 0$ $(2x + 3)(x - 2) = 0$ $2x + 3 = 0$ or $x - 2 = 0$ $x = -\frac{3}{2}$ or $x = 2$	<b>L2. Solve <math>x(1 + x) = 6</math>.</b>  <b>Ans : -3, 2</b>
<b>L3.</b>	<b>Solve <math>(x - 3)^2 = 1</math>.</b>  <b>Ans : 2, 4</b>	<b>L4. Solve <math>1 + 2x^2 = 5x + 4</math>.</b>  <b>Ans : 1, 3/2</b>
<b>L3.</b>	<b>Solve <math>(2x - 1)^2 = 2x - 1</math>.</b>  <b>Ans : <math>\frac{1}{2}, 1</math></b>	<b>L4. Solve <math>5x^2 - 45 = 0</math>.</b>  <b>Ans : -3, 3</b>
<b>L5.</b>	<b>Selesaikan <math>(x - 3)(x + 3) = 16</math>.</b>  <b>Ans : -5, 5</b>	<b>L6. Selesaikan <math>3 + x - 4x^2 = 0</math>.</b>  <b>Ans : <math>-\frac{3}{4}, 1</math></b>
<b>L7.</b>	<b>Solve <math>x(x + 2) = 24</math>.</b>  <b>Ans : -6, 4</b>	<b>L8. Solve <math>2(x^2 - 9) = 5x</math>.</b>  <b>Ans : -2, 9/2</b>

## 2.3.2 To Solve Quadratic Equations : $ax^2 + bx + c = 0$

### II. By 'Completing the Square'

- To express  $ax^2 + bx + c$  in the form  $a(x + p)^2 + q$

#### Simple Case : When $a = 1$

	EXAMPLE	EXERCISE
C1.	<p>Solve <math>x^2 + 4x - 5 = 0</math> by method of 'completing the square'.</p> $x^2 + 4x - 5 = 0$ $x^2 + 4x + \left(\frac{4}{2}\right)^2 - \left(\frac{4}{2}\right)^2 - 5 = 0$ $(x+2)^2 - 4 - 5 = 0$ $(x+2)^2 - 9 = 0$ $(x+2)^2 = 9$ $x+2 = \pm 3$ $x = -2 \pm 3$ $x = -5 \text{ or } x = 1$	<p>L1. Solve <math>x^2 + 4x + 3 = 0</math> by method of 'completing the square'.</p> <p>(Ans : -1, -3)</p>
C2.	<p>Solve <math>x^2 - 6x + 3 = 0</math> by method of 'completing the square'. Give your answer correct to 3 decimal places.</p> $x^2 - 6x + 3 = 0$ $x^2 - 6x + \left(\frac{-6}{2}\right)^2 - \left(\frac{-6}{2}\right)^2 + 3 = 0$ $(x-3)^2 - 9 + 3 = 0$ $(x-3)^2 - 6 = 0$ $(x-3)^2 = 6$ $x-3 = \pm \sqrt{6}$ $x = 3 \pm \sqrt{6}$ $x = - \text{ or } x =$	<p>L2. Solve <math>x^2 - 8x + 5 = 0</math>, give your answers correct to 4 significant figures.</p> <p>Ans : 7.317, 0.6834</p>
L3.	<p>Solve <math>x^2 - 2x - 9 = 0</math> by completing the square, give your answers correct to 4 significant figures.</p> <p>Ans : -2.212, 4.162</p>	<p>L4. Solve <math>x^2 + 10x + 5 = 0</math>, give your answers correct to 4 significant figures.</p> <p>Ans : -0.5279, -9.472</p>

## 2.3.3 To Solve Quadratic Equations : $ax^2 + bx + c = 0$

### II. Method of completing the square

- by expressing  $ax^2 + bx + c$  in the form  $a(x + p)^2 + q$

[a = 1, but involving fractions when completing the square]

	EXAMPLE	EXERCISE
C3.	<p>Solve <math>x^2 - 3x - 2 = 0</math> by method of 'completing the square'. Give your answer correct to 4 significant figures.</p> $x^2 - 3x - 3 = 0$ $x^2 - 3x + \left(\frac{-3}{2}\right)^2 - \left(\frac{-3}{2}\right)^2 - 2 = 0$ $\left(x - \frac{3}{2}\right)^2 - \frac{9}{4} - 2 = 0$ $\left(x - \frac{3}{2}\right)^2 = \frac{17}{4}$ $x - \frac{3}{2} = \pm \sqrt{\frac{17}{4}}$ $x = \frac{3}{2} \pm \frac{\sqrt{17}}{2}$ <p><b>x = - 0.5616 atau x = 3.562</b></p>	<p>L5. Solve <math>x^2 + 5x - 4 = 0</math>. Give your answer correct to 4 significant figures.</p> <p>(Ans : 0.7016, -5.702)</p>
L6.	<p>Solve <math>x^2 + x - 8 = 0</math>. Give your answer correct to 4 significant figures.</p> <p>(Ans : 2.372, -3.372)</p>	<p>L7. Solve <math>x^2 + 7x + 1 = 0</math>, Give your answer correct to 4 significant figures.</p> <p>(Ans : -0.1459, -6.8541)</p>
L8.	<p>Solve <math>x(x + 5) = 5</math>. Give your answer correct to 4 significant figures.</p> <p>(Ans : 0.8541, -5.854)</p>	<p>L9. Solve <math>x(2 + x) = 10</math> Give your answer correct to 4 significant figures.</p> <p>(Ans : 2.317, -4.317)</p>

### 2.3.4 To Solve Quadratic Equations : $ax^2 + bx + c = 0$

#### II. Method of completing the square

- To express  $ax^2 + bx + c$  in the form  $a(x + p)^2 + q$

**If  $a \neq 1$  : Divide both sides by  $a$  first before you proceed with the process of 'completing the square'.**

	EXAMPLE	EXERCISE
C4.	<p>Solve <math>2x^2 - 8x + 7 = 0</math> by completing the square.</p> $2x^2 - 8x + 7 = 0$ $x^2 - 4x + \frac{7}{2} = 0 \quad [\div 2 \text{ first}]$ $x^2 - 4x + \left(\frac{-4}{2}\right)^2 - \left(\frac{-4}{2}\right)^2 + \frac{7}{2} = 0$ $(x - 2)^2 - 4 + \frac{7}{2} = 0$ $(x - 2)^2 = \frac{1}{2}$ $x - 2 = \pm \sqrt{\frac{1}{2}}$ $x = 2 \pm \sqrt{\frac{1}{2}}$ $= 2.707 \text{ atau } 1.293$	<p>L10. Solve <math>2x^2 - 12x + 5 = 0</math> correct to two decimal places.</p> <p>(Ans : 5.55 , 0.45)</p>
C5.	<p>Solve <math>-x^2 - 4x + 1 = 0</math> by completing the square.</p> $-x^2 - 4x + 1 = 0 \quad [\text{divide by } (-1)]$ $x^2 + 4x - 1 = 0$ <p>(Ans : 0.2361, -4.236)</p>	<p>L11. Solve <math>-2x^2 + 10x + 9 = 0</math> correct to two decimal places.</p> <p>(Ans : -0.78 , 5.78)</p>
L12.	<p>Solve <math>-x^2 - 7x + 3 = 0</math> by completing the square.</p> <p>(Ans : -7.405, 0.4051)</p>	<p>L13. Solve <math>x(3 - 2x) = -6</math> correct to two decimal places.</p> <p>(Ans : -1.14 , 2.64)</p>

### 2.3.5 To Solve Quadratic Equations : $ax^2 + bx + c = 0$

#### III. Using Formula

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

	EXAMPLE	EXERCISE
C1.	<p>Solve <math>2x^2 - 8x + 7 = 0</math> by using formul. Give your answer correct to 4 significant figures.</p> <p><math>a = 2, b = -8, c = 7</math></p> $x = \frac{-(-8) \pm \sqrt{(-8)^2 - 4(2)(7)}}{2(2)}$ $= \frac{8 \pm \sqrt{8}}{4}$ <p><math>= 2.707 \text{ atau } 1.293</math></p>	<p>L1. By using formula, solve <math>2x^2 - 12x + 5 = 0</math>. Give your answer correct to 4 significant figures.</p> <p>(Ans : 5.550, 0.4505)</p>
C2.	<p>Solve <math>2x(2 - 3x) = -5</math> by using formula, qive your answer correct to two decimal places.</p> $2x(2 - 3x) = -5$ $4x - 6x^2 = -5$ $6x^2 - 4x - 5 = 0$ <p><math>a = \quad, b = \quad, c = \quad</math></p> <p><math>x = \quad</math></p> <p>(Ans : 1.31, -0.64)</p>	<p>L2. By using formula, solve <math>3 - x^2 = -3(4x - 3)</math> correct to two decimal places.</p> <p>(Ans: 0.52, 11.48)</p>
L3.	<p>Solve <math>x(2x - 1) = 2</math> by using formula, give your answer correct to two decimal places.</p> <p>(Ans : 1.28, -0.78)</p>	<p>L4. Solve the quadratic equation <math>2x(x - 4) = (1-x)(x+2)</math>. Give your answer correct to 4 significant figures. (SPM 2003)</p> <p>(Ans : 2.591, -0.2573)</p>
L5.	<p>Solve <math>x^2 - 4x = 2</math> by using formula. Give your answer correct to 4 significant figures.</p> <p>(Ans : 4.449, -0.4495)</p>	<p>L6. Solve the quadratic equation <math>x(x - 4) = (3 - x)(x + 3)</math>. Give your answer correct to two decimal places.</p> <p>(Ans : 3.35, -1.35)</p>

## 2.4 To Form Quadratic Equations from Given Roots

If *the roots* of a quadratic equation are  $\alpha$  and  $\beta$ ,

That is,  $x = \alpha$  ,  $x = \beta$  ;

Then  $x - \alpha = 0$  or  $x - \beta = 0$ ,

$$(x - \alpha)(x - \beta) = 0$$

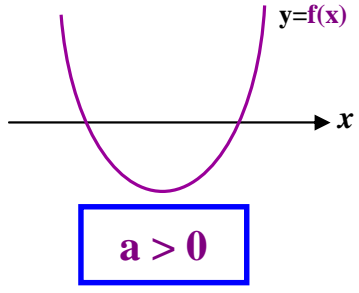
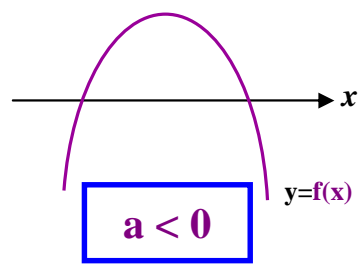
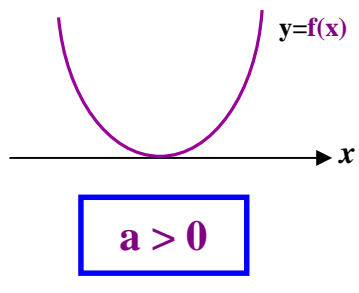
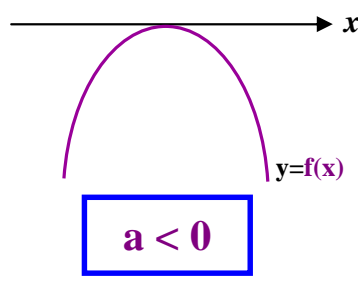
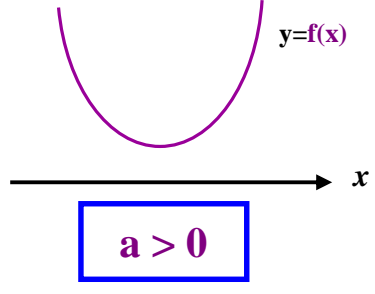
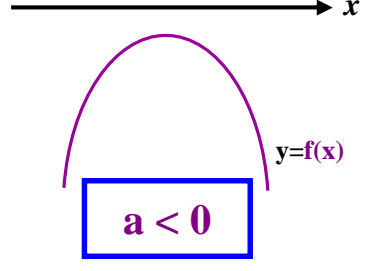
The quadratic equation is  $x^2 - (\alpha + \beta)x + \alpha\beta = 0$ .

$$x^2 + \boxed{\text{Sum of Roots}} x + \boxed{\text{Product of roots}} = 0$$

	EXAMPLE	EXERCISE
C1.	<p>Find the quadratic equation with roots 2 dan -4.</p> $x = 2, x = -4$ $x - 2 = 0 \text{ or } x + 4 = 0$ $(x - 2)(x + 4) = 0$ $x^2 + 2x - 8 = 0$	<p>L1. Find the quadratic equation with roots -3 dan 5.</p> <p>Ans : <math>x^2 - 2x - 15 = 0</math></p>
L2.	<p>Find the quadratic equation with roots 0 dan -3.</p> $x = 0, x = -3$ $x = 0 \text{ or } x + 3 = 0$ <p>Ans : <math>x^2 + 3x = 0</math></p>	<p>L3. Find the quadratic equation with roots <math>-\frac{1}{2}</math> dan 6.</p> $x = -\frac{1}{2}, x = 6$ $2x = -1, x = 6$ $2x + 1 = 0, x - 6 = 0$ <p>Ans : <math>2x^2 - 11x - 6 = 0</math></p>
C2.	<p>Given that the roots of the quadratic equation <math>2x^2 + (p+1)x + q - 2 = 0</math> are -3 and <math>\frac{1}{2}</math>. Find the value of p and q.</p> $x = -3, x = \frac{1}{2}$ $x + 3 = 0 \text{ or } 2x - 1 = 0$ $(x + 3)(2x - 1) = 0$ $2x^2 + 5x - 3 = 0$ <p>Comparing with the original equation :</p> $p + 1 = 5, q - 2 = -3$ $p = 4, q = 1$	<p>L4. Given that the roots of the quadratic equation <math>3x^2 + kx + p - 2 = 0</math> are 4 and <math>-\frac{2}{3}</math>. Find k and p.</p> <p>(Ans : <math>k = -10, p = -6</math>)</p>
L5.	<p>Given that the roots of the quadratic equation <math>x^2 + (h - 2)x + 2k = 0</math> are 4 and -2. Find h and k.</p> <p>(Ans : <math>h = 0, k = -4</math>)</p>	<p>L6. Given that the roots of the quadratic equation <math>2x^2 + (3 - k)x + 8p = 0</math> are p and <math>2p</math>, <math>p \neq 0</math>. Find k and p.</p> <p>(Ans : <math>p = 2, k = 15</math>)</p>

## 2.5 The Quadratic Equation $ax^2 + bx + c = 0$

### 2.5.1 Relationship between “ $b^2 - 4ac$ ” and the *Roots of the Q.E.*

<p><b>CASE 1</b></p>	<p><math>b^2 - 4ac &gt; 0</math>  <b>Q.E. has two distinct roots.</b>                      The Graph <math>y = f(x)</math> cuts the x-axis at <b>TWO</b> distinct points.</p>	
	 <p style="text-align: center;"><math>a &gt; 0</math></p>	 <p style="text-align: center;"><math>a &lt; 0</math></p>
<p><b>CASE 2</b></p>	<p><math>b^2 - 4ac = 0</math>  <b>Q.E. has real and equal roots.</b>                      The graph <math>y = f(x)</math> touches the x-axis [ The x-axis is the tangent to the curve]</p>	
	 <p style="text-align: center;"><math>a &gt; 0</math></p>	 <p style="text-align: center;"><math>a &lt; 0</math></p>
<p><b>CASE 3</b></p>	<p><math>b^2 - 4ac &lt; 0</math>  <b>Q.E. does not have real roots.</b>                      Graph <math>y = f(x)</math> does not touch x-axis.</p>	
	 <p style="text-align: center;"><math>a &gt; 0</math></p> <p>Graph is <b>above</b> the x-axis since <math>f(x)</math> is always positive.</p>	 <p style="text-align: center;"><math>a &lt; 0</math></p> <p>Graph is <b>below</b> the x-axis since <math>f(x)</math> is always negative.</p>

## 2.5.2 Application (Relationship between “ $b^2 - 4ac$ ” and *the type of roots*)

	EXAMPLE	EXERCISE
C1	<p>(SPM 2000)</p> <p>The roots of the quadratic equation <math>2x^2 + px + q = 0</math> are -6 and 3.</p> <p>Find</p> <p>(a) p and q,            (b) range of values of k such that <math>2x^2 + px + q = k</math> does not have real roots.</p> <p>Answer :</p> <p>(a) <math>x = -6, x = 3</math>  <math>(x + 6)(x - 3) = 0</math>  <math>x^2 + 3x - 18 = 0</math>  <math>2x^2 + 6x - 36 = 0</math></p> <p>Comparing : <math>p = 6, q = -36.</math></p> <p>(b) <math>2x^2 + 6x - 36 = k</math>  <math>2x^2 + 6x - 36 - k = 0</math>  <math>a = 2, b = 6, c = -36 - k</math>  <math>b^2 - 4ac &lt; 0</math>  <math>6^2 - 4(2)(-36 - k) &lt; 0</math>  <math>324 + 8k &lt; 0</math>  <math>k &lt; -40.5</math></p>	<p>L1. The roots of the quadratic equation <math>2x^2 + px + q = 0</math> are 2 and -3.</p> <p>Find</p> <p>(a) p and q,            (b) the range of values of k such that <math>2x^2 + px + q = k</math> does not have real roots.</p>
L2	<p>Find the range of k if the quadratic equation <math>2x^2 - x = k</math> has real and distinct roots.</p> <p>( Ans : <math>k &gt; -1/8</math> )</p>	<p>L3. The quadratic equation <math>9 + 4x^2 = px</math> has equal roots. Find the possible values of p.</p> <p>( Ans : <math>p = -12</math> atau <math>12</math> )</p>
L4	<p>Find the range of p if the quadratic equation <math>2x^2 + 4x + 5 + p = 0</math> has real roots.</p> <p>(Ans : <math>p \leq -3</math> )</p>	<p>L5. Find the range of p if the quadratic equation <math>x^2 + px = 2p</math> does not have real roots.</p> <p>( Ans : <math>-8 &lt; p &lt; 0</math> )</p>
L6	<p>The roots of the quadratic equation <math>2x^2 + 8 = (k - 3)x</math> are real and different. Determine the range of values of k.</p> <p>( Ans : <math>k &lt; -5, k &gt; 11</math> )</p>	<p>L7. Find the range of values of k if the quadratic equation <math>x^2 + 2kx + k + 6 = 0</math> has equal roots.</p> <p>( Ans : <math>k = 2, 3</math> )</p>

## Reinforcement Exercises (SPM Format Questions)

	EXERCISE	EXERCISE
<b>L1</b>	<p>(a) The equation <math>x^2 - 6x + 7 = h(2x - 3)</math> has roots which are equal. Find the values of h. [4]</p> <p>(b) Given that <math>\alpha</math> and <math>\beta</math> are roots of the equation <math>x^2 - 2x + k = 0</math>, while <math>2\alpha</math> and <math>2\beta</math> are the roots of the equation <math>x^2 + mx + 9 = 0</math>. Determine the possible values of k and m. [SPM 1999] [6]</p>	<p><b>L2. One of the roots of the equation <math>2x^2 + 6x = 2k - 1</math> is twice the other. Find the value of k and the roots of the equation.</b> [1999]</p> <p style="text-align: center;">( <math>x = -1, x = -2</math> ; <math>k = -\frac{3}{2}</math> )</p>
<b>L2.</b>	<p>(SPM 2003 , P1, S3). Solve the quadratic equation <math>2x(x - 4) = (1 - x)(x + 2)</math>. Give your answer correct to 4 significant figures. [3]</p>	<p><b>L3.</b> (SPM 2003, P1, S4) The quadratic equation <math>x(x+1) = px - 4</math> has two distinct roots.. Find the range of values of p. [3]</p>
<b>L4</b>	<p>(SPM 2002) Find the range of k if the Q.E. <math>x^2 + 3 = k(x - 1)</math>, k constant, has two distinct roots. [3]</p>	<p><b>L5.</b> (<math>\approx</math> SPM 2001) Show that the straight line <math>y = 2 - x</math> does not meet the curve <math>2x^2 - y^2 + k = 0</math> if <math>k &gt; 8</math>. [3]</p>
	( $x = 2.591, -0.2573$ )	( $p, -3, p > 5$ )
	( $k < -2, k > 6$ )	

	EXERCISE	EXERCISE
L6	(SPM 2002) Given $\frac{p}{2}$ and $\frac{q}{2}$ are roots of the equation $kx(x - 1) = m - 4x$ . If $p + q = 4$ and $pq = -5$ , find the values of $k$ and $m$ [5]	L7. (SPM 2001) Given $2$ and $m$ are roots of the equation $(2x - 1)(x + 3) = k(x - 1)$ , with $k$ as a constant, find $k$ and $m$ . [4]
	( $k = -4$ , $m = -5$ ) P.S. <i>quite challenging!</i>	( $k = 15$ , $m = 3$ )
L8.	(SPM 2000) Find the range of $x$ if the straight line $y = 2x + k$ does not intersect the curve $x^2 + y^2 - 6 = 0$ . [5]	L9. (SPM 2000) The quadratic equation $2x^2 + px + q = 0$ has roots $-2$ and $3$ . Find <b>the value of <math>p</math> and <math>q</math> so that</b> $2x^2 + px + q = k$ has real roots.
	( $k < -5.477$ atau $k > 5.477$ )	( $p = -2$ , $q = -12$ ; $k \geq -12.5$ )
L10.	(SPM 1995) (c) Given $\frac{1}{2}$ and $-5$ are roots of a quadratic Equation. Write down the quadratic equation in the form $ax^2 + bx + c = 0$ . [2] (b) Find the range of values of $x$ for which the equation $x^2 + kx + 2k - 3 = 0$ has no real roots. [3]	(c) Prove that the roots of the equation $(1 - p)x^2 + x + p = 0$ are real and negative IF $0 < p < 1$ . [5]
	( $2x^2 + 9x - 5 = 0$ ; $2 < k < 6$ )	

Untuk renungan : Gred MT anda adalah berkadar songsang dengan latihan yang anda buat !